

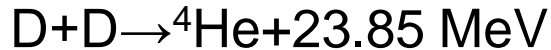
New measurement of screening potential
by 'cooperative colliding process'
for the $d+d$ reaction in metallic electron
environment

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Cold Fusion in condensed matter

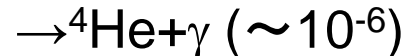
Is EH effect really due to a nuclear reaction?



To get 1W power (Q value $\sim 20\text{MeV}$)

$$R = 1 / (20 \times 10^6 \times 1.6 \times 10^{-19}) = 3 \times 10^{11} \text{ reactions/sec}$$

note: $\text{D} + \text{D} \rightarrow \text{p} + \text{T} (50\%), \text{n} + {}^3\text{He} (50\%)$



Two miracles are needed (initial and final state)

1. Huge $\sigma(E)$: fusion cross section



how to overcome the Coulomb barrier?

2. New branch of the final state

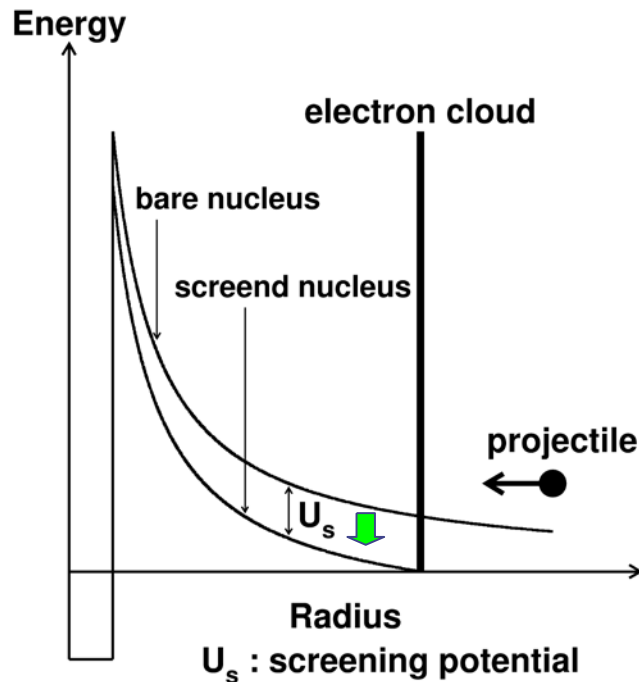


What we are asking by low-energy beam experiment is;

Can $\sigma(E)$ be enhanced very much in metal?

Screening potential

playing an important role in low energy reactions



Reaction rates at very low energies:
very much enhanced due to screening
provided by surrounding conditions

$$\sigma_b(E) = \frac{S(E)}{E} \exp(-2\pi\eta), \quad \eta = \frac{Z_1 Z_2 e^2}{h\nu}$$

$$E \rightarrow E + U_{\text{screening}}$$

Gamow factor

$$\sigma_s(E) \sim \sigma_b(E + U_{\text{screening}})$$

Gamow factor for DD at room temperature

U_{screen}	$\exp(-2\pi\eta)$
0 eV	10^{-2760}
13.6 eV	3.0×10^{-117}
50 eV	1.7×10^{-61}
300 eV	1.5×10^{-25}
600 eV	2.9×10^{-18}

Screening due to conduction electrons (Thomas-Fermi screening)

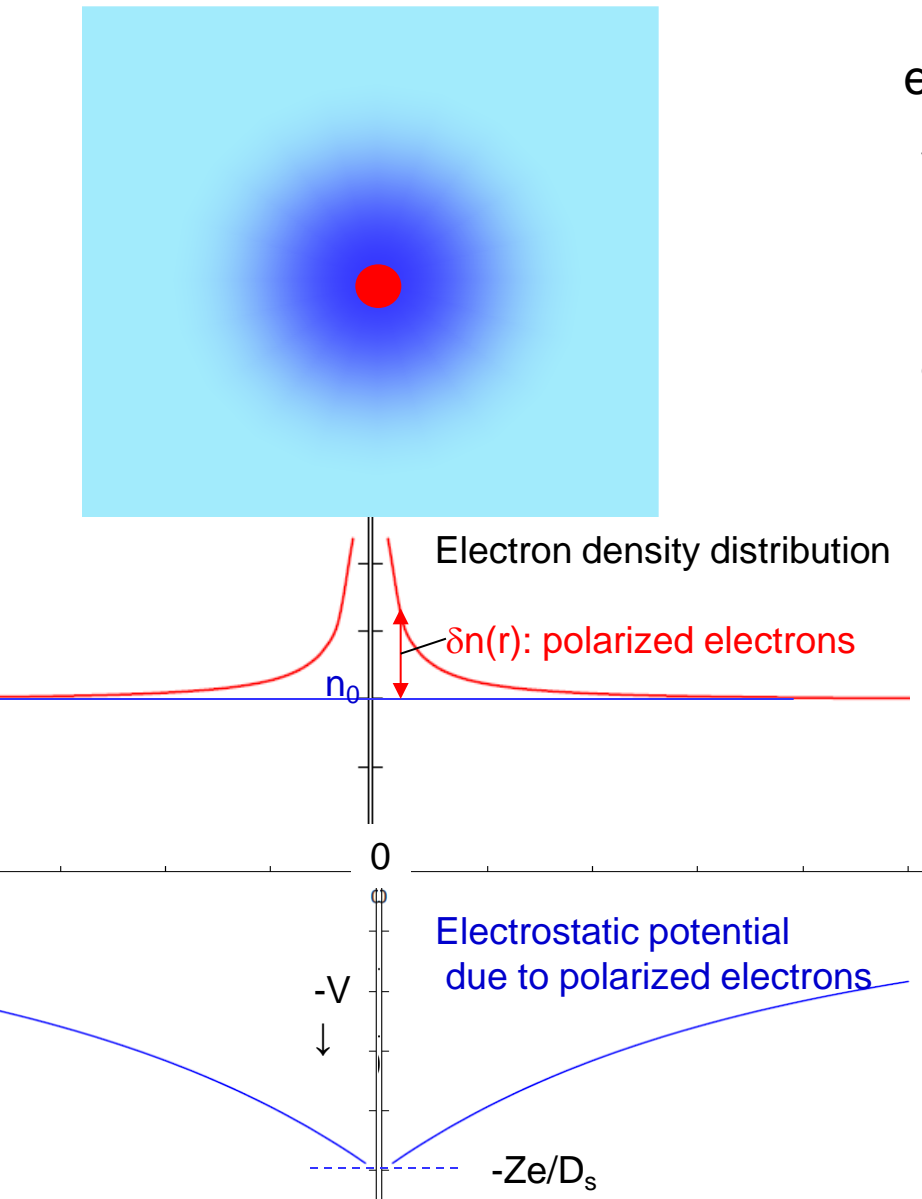
e^- density distribution $n_0 \rightarrow n(r)$

$\nabla^2 \phi(r) = -4\pi e [Z\delta(r) - \delta n(r)]$; Poisson equation

$\delta n(r) = n(r) - n_0 \approx \frac{3}{2} n_0 \frac{e\phi(r)}{\epsilon_F}$; conduction electrons = degenerate Fermi gas

$\phi(r) = \frac{Ze}{r} \exp(-\frac{r}{D_s})$; Screened electrostatic Potential

$U_s = \frac{ZZ_p e^2}{D_s}$ Screening Potential energy



$$D_s = (6\pi e^2 N_e / E_F)^{-1/2}$$

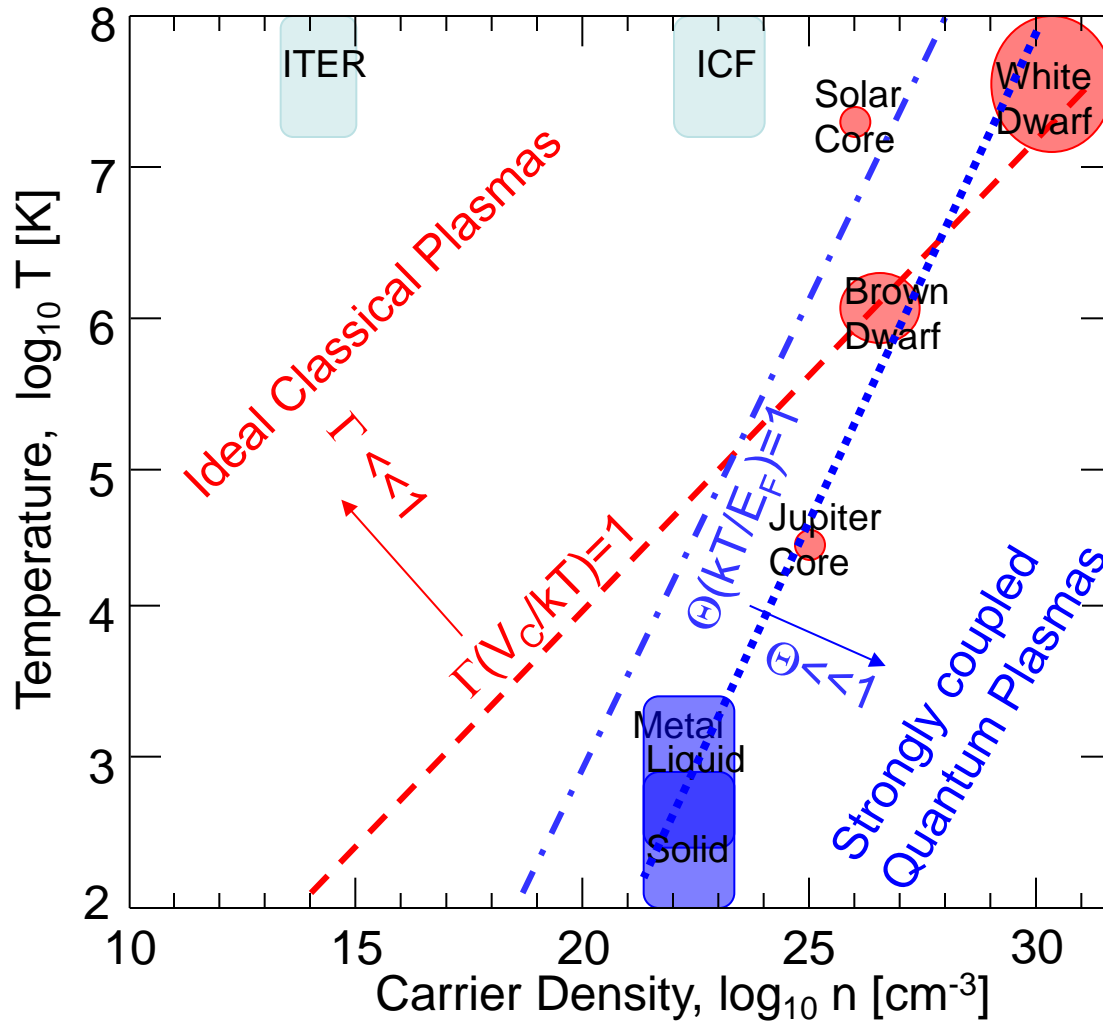
E_F : Fermi energy of electron

N_e : density of conduction electron

T-F U_s in metal

$U_s \sim 24 \text{ eV} > U_s(\text{bound electron})$
for $E_F \sim 5 \text{ eV}$, $N_e \sim 5 \times 10^{22} \text{ cm}^{-3}$

Nuclear reactions in various plasmas



Hot Fusion on earth (ITER)

High T, Low density

$$\Gamma < 0.1, \Theta > 10$$

Ideal Plasmas

Nuclear reactions in stars

High T, Ultra-High density

$$\Gamma \sim 1, \Theta < 1$$

Border between Ideal plasma
and Strongly-coupled-
Degenerated plasma

Nuclear Reactions in
Liquid/Solid Metals

$$\Gamma > 1, \Theta < 1 \rightarrow \Gamma < 1, \Theta > 1$$

another approach to NF

Electron plasma; $\Theta \sim 0.1$

Simulations of screening in stars

Us for D+D and Li+d/p in various conditions

Rough values reported so far by us, Rolf's group and Czerski's group.
(simple estimation)

	atom/molec (bound e)	in metals (conduction e)	in solid Li	in liquid Li	liquid Li + ultrasonic cavitation
D+D	~25 eV (20 eV)	60~ 300 eV 800 eV (Pd) (30~70 eV)	~150 eV (25 eV)	190~350 eV (200 eV)	High-T plasma $T \sim 6.8 \times 10^6$ K [cf. $U_s \sim 2000$ eV]
Li+D or Li+p	~290 eV (186 eV)	1200 eV (Pd) 3800 eV (Pd)	~400 eV (250 eV)	480~550 eV (670 eV)	

In general, $U_s(\text{metal}) > U_s(\text{atom})$; conduction electrons!

$U_s(\text{liquid Li}) > U_s(\text{solid Li})$; mobile ions!

Experimental values are always larger than calculations.

Contribution of c.e. is much larger than expected.

However,

different values are reported for same metal, often.

for ex., for Pd, ~800eV (Rolf's G), ~300eV (ours and Czerski's G)

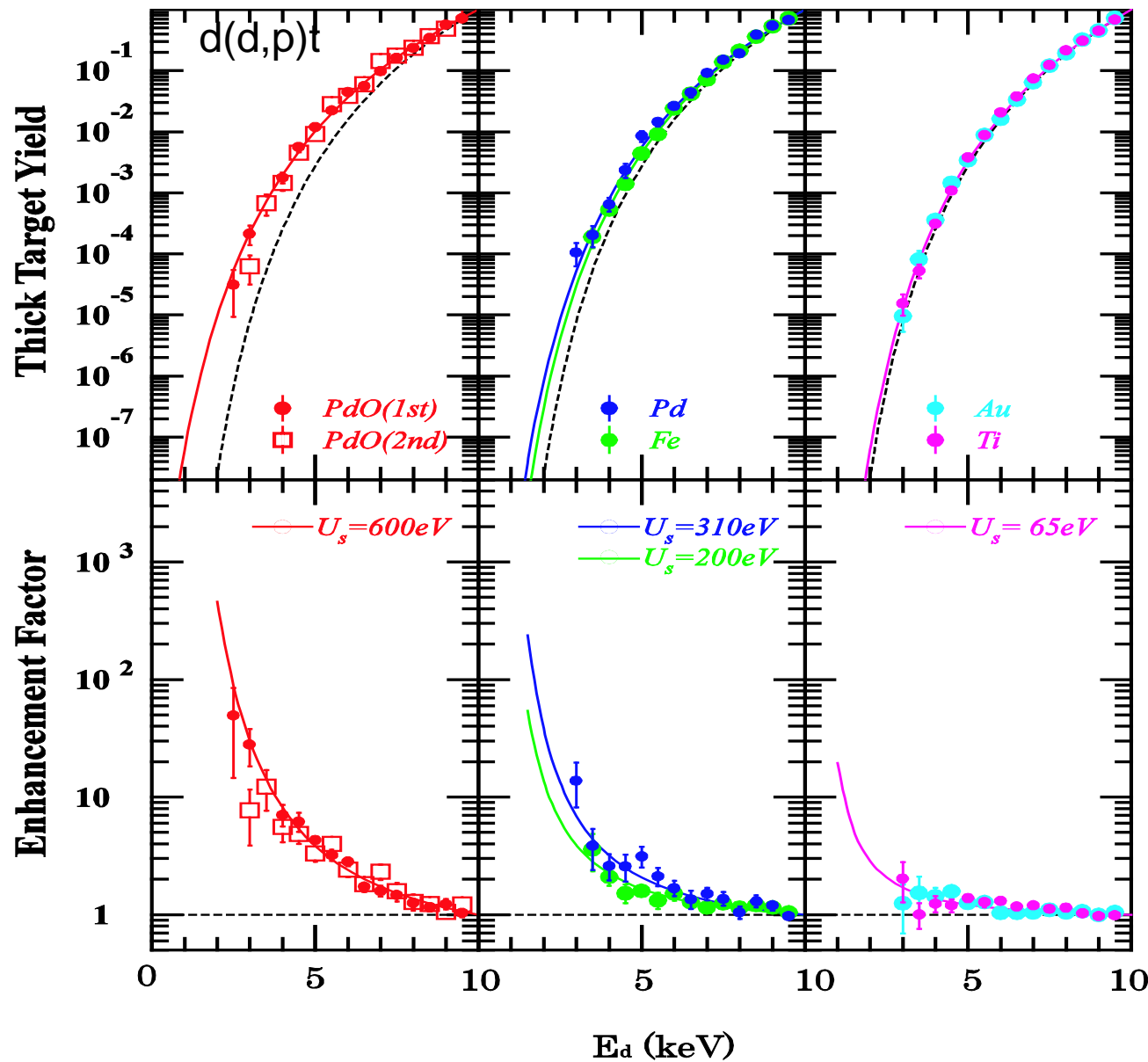
for Zr, < 40 eV (Rolf's G), ~300 eV (Czerski's G)

Problems of experimental method?

How can we determine values of U_s ?

Previous measurements of U_s

Comparisons of experimental $Y(E_d)$ to calculated yield with U_s



$$Y(E) \propto N_b N_T \sigma(E)$$

N_b : beam d

N_T : target d

$\sigma(E)$: cross section

$$\sigma(E) = \sigma_{bare}(E) F(E, U_s)$$

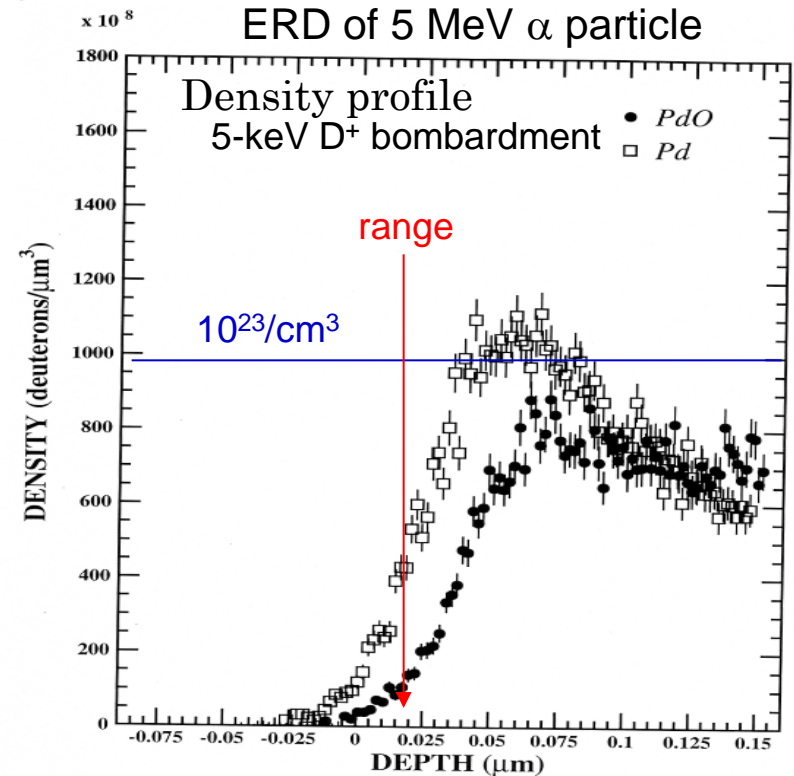
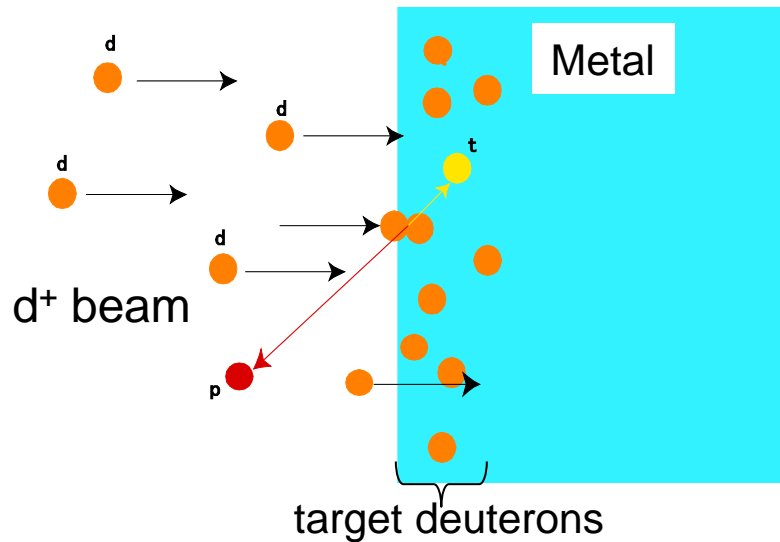
$$U_s = 0$$

Enhancement
Factor

$$F(E, U_s) = \sigma(E) / \sigma_{bare}(E) = \exp(\pi \eta U_s / E)$$

N_b ; from electric current
 N_T ??

target deuterons in solid metal



$$Y(E) \propto N_b N_T \sigma(E)$$

N_b : beam d

N_T : target d

$\sigma(E)$: cross section

Density distribution near the surface:
saturation at the deep region
escape from the surface

surface cleanness? E_d dependence?

beam intensity dependence?

Ambiguity of N_T might give incorrect value of U_s .

New measurement of U_s

A new reaction process was found by chance.

liquid Indium bombarded with deuteron molecular beam (d_3^+ beam)

We observed anomalous behavior of the $d(d,p)t$ reaction.

anomalous spectrum of p and t

anomalous reaction yield vs E_d

no reaction yield with atomic (d^+) beam bombardment

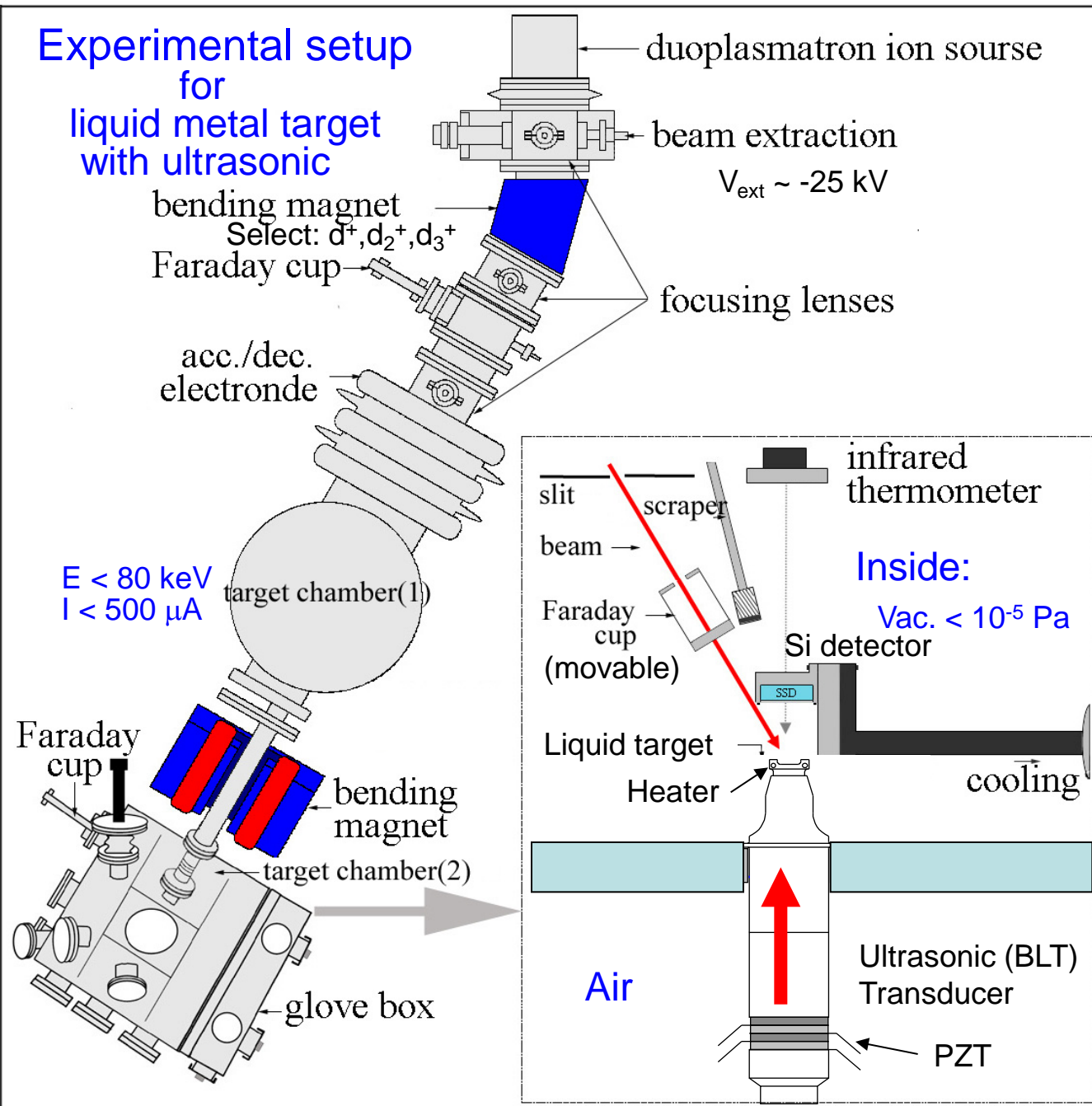
d-d colliding in metal; i.e., not fixed target.

useful process to determine U_s in metallic electron environment

accurate value of N_T

easy check of surface cleanness

Experimental setup for liquid metal target with ultrasonic



Experiment:

d+d in liquid Indium

Deuteron beam

$d_3^+, 15\text{--}60 \text{ keV}$

$E_d = 5\text{--}20 \text{ keV}$

$I_{\text{current}} = 10 \sim 100 \mu\text{A}$

Liquid Indium

$T \sim 190^\circ\text{C}$ ($T_m = 157^\circ\text{C}$)

Si Detector

Area: 450 mm^2 ,

Thickness: $100 \mu\text{m}$

Al ($2 \mu\text{m}$) absorber foil

$\sim 50 \text{ mm}$ from target

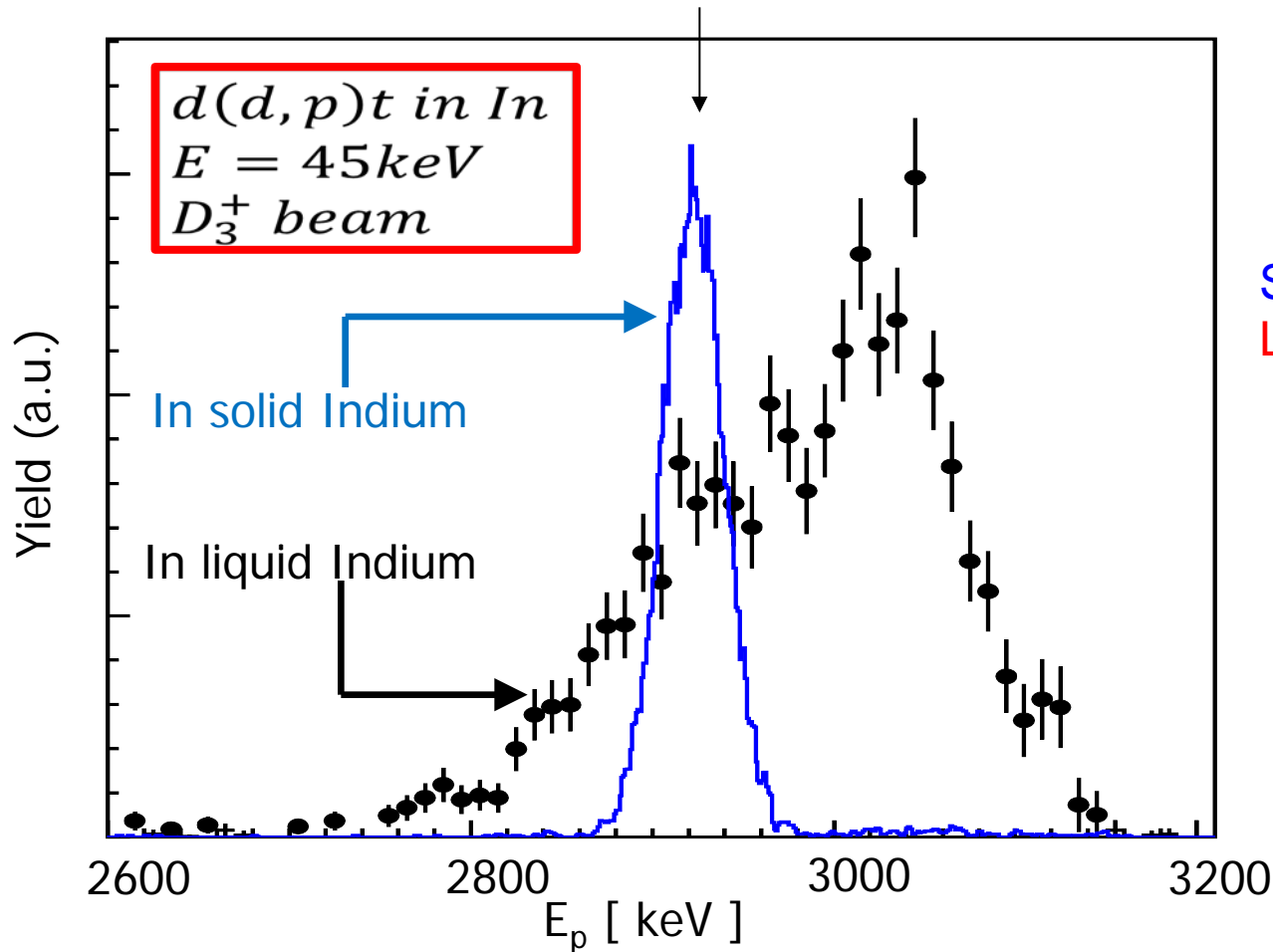
$\Theta = 124^\circ, 142^\circ$

Ultrasonic

repeat on/off
no effects

① Mysterious proton spectra in liquid In

peak position for $d(d,p)t$ with $E_d = 15$ keV



Solid In: quite normal

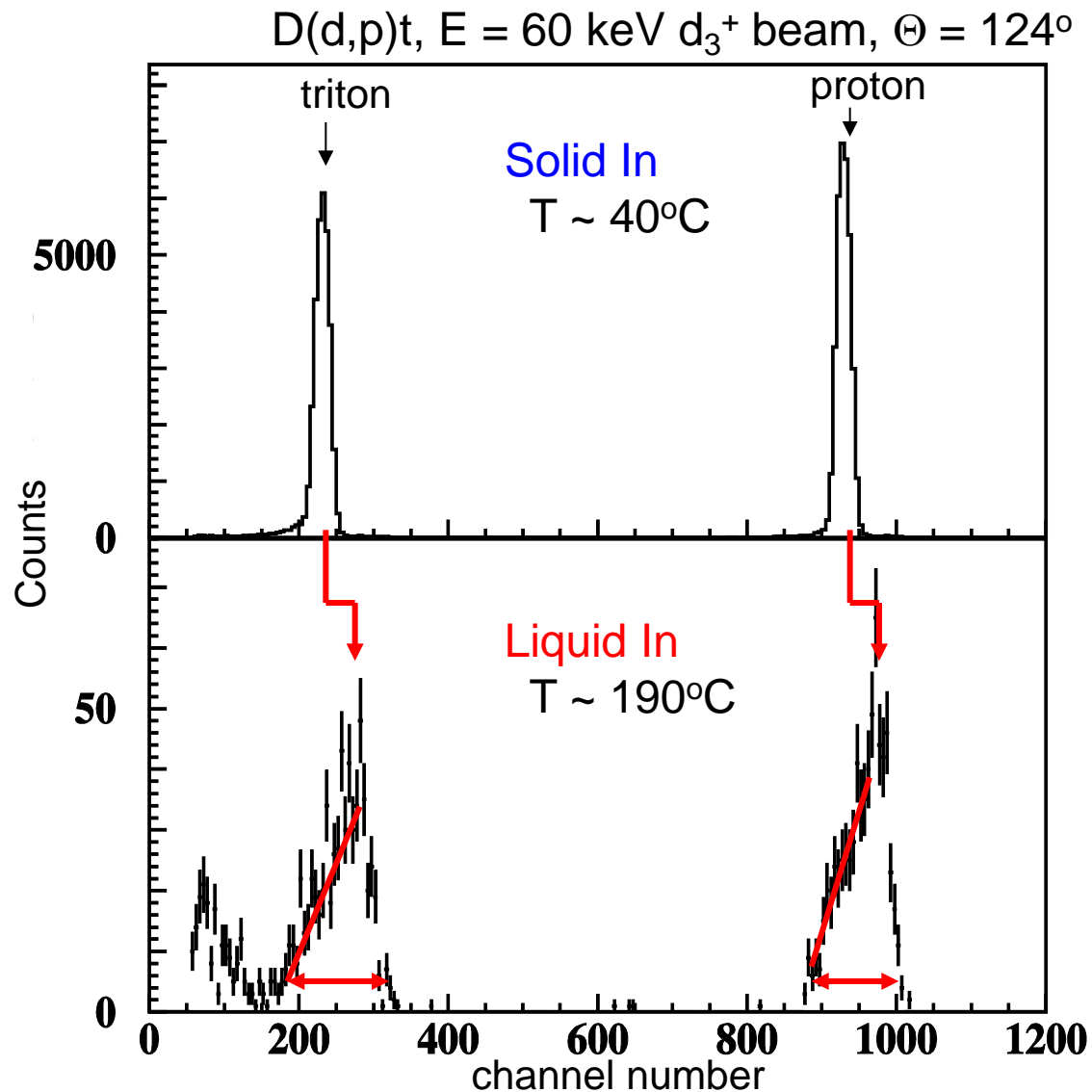
Liquid In: anomalous

- ① peak shift
- ② broader width
- ③ asymmetric distribution

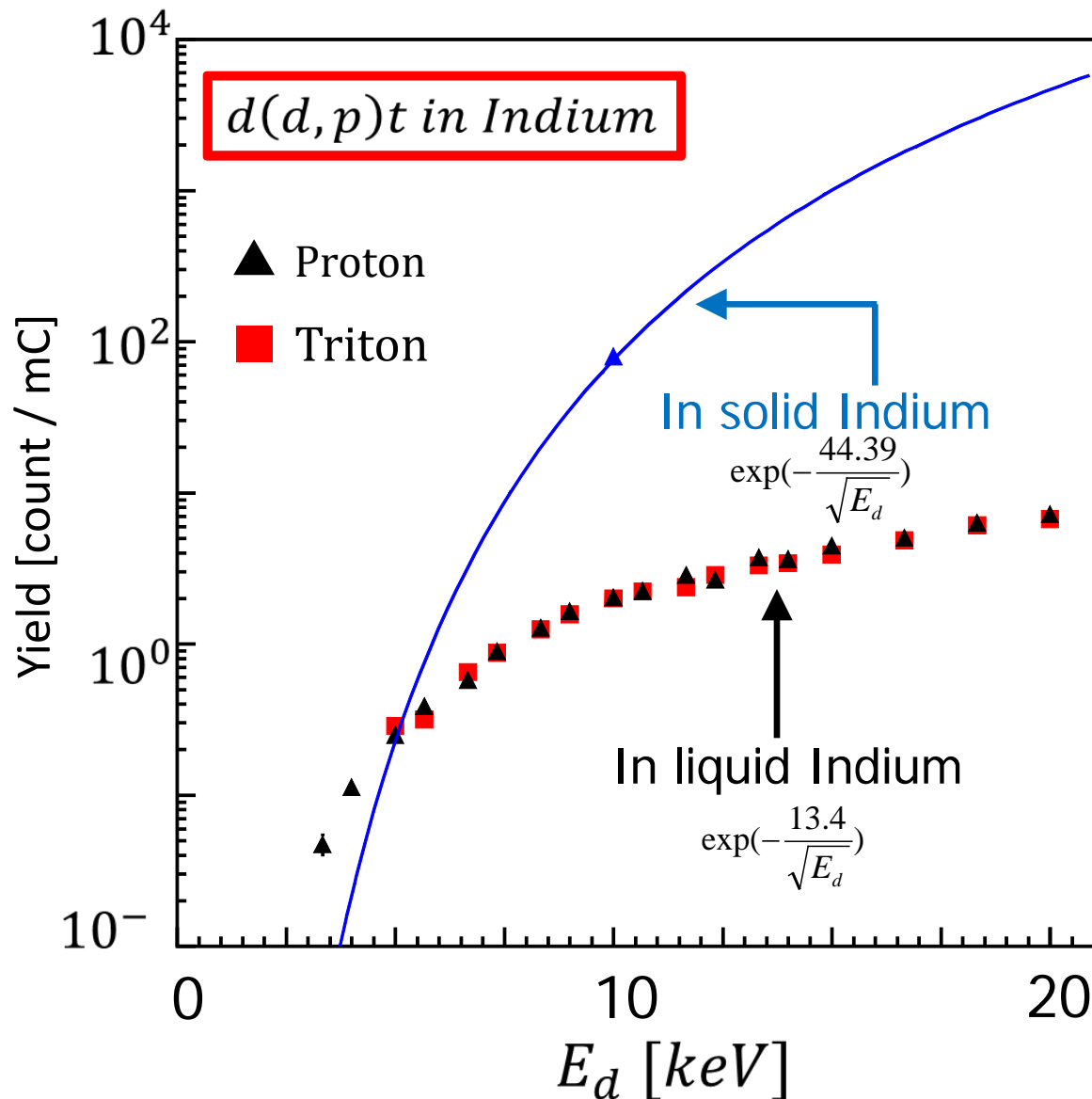
The reaction is not a simple two-body reaction.

Target Ds are not at rest; they have finite momentum.

proton/triton spectra in liquid In



② Anomalous excitation function in liquid In



Thick target yield

$$Y_{thick} \propto \int_0^{E_d} \sigma(E) \cdot \left(\frac{dE}{dx} \right)^{-1} dE$$

$$\sigma(E) \approx \frac{S}{E} \cdot \exp(-2\pi Z_1 Z_2 \alpha \sqrt{\frac{\mu c^2}{2E}})$$

$$\equiv \frac{A}{E} \exp(-\frac{B}{\sqrt{E}})$$

$$\frac{dE}{dx} \approx k\sqrt{E}$$

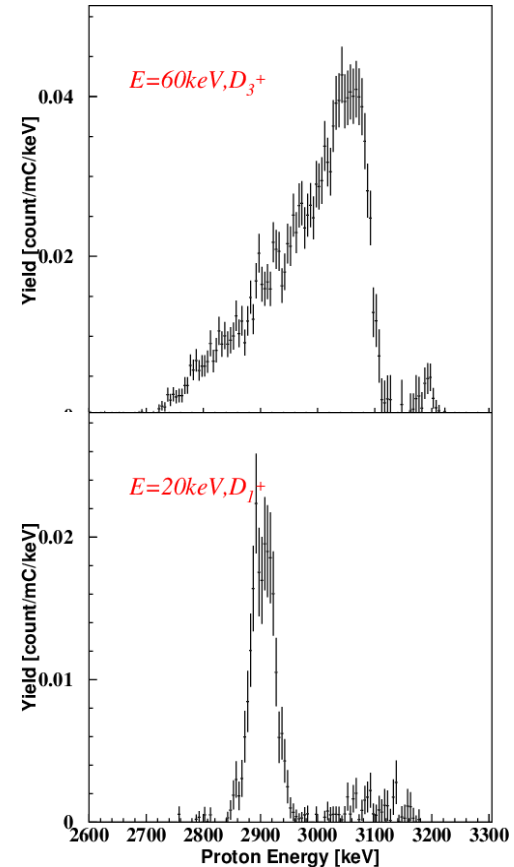
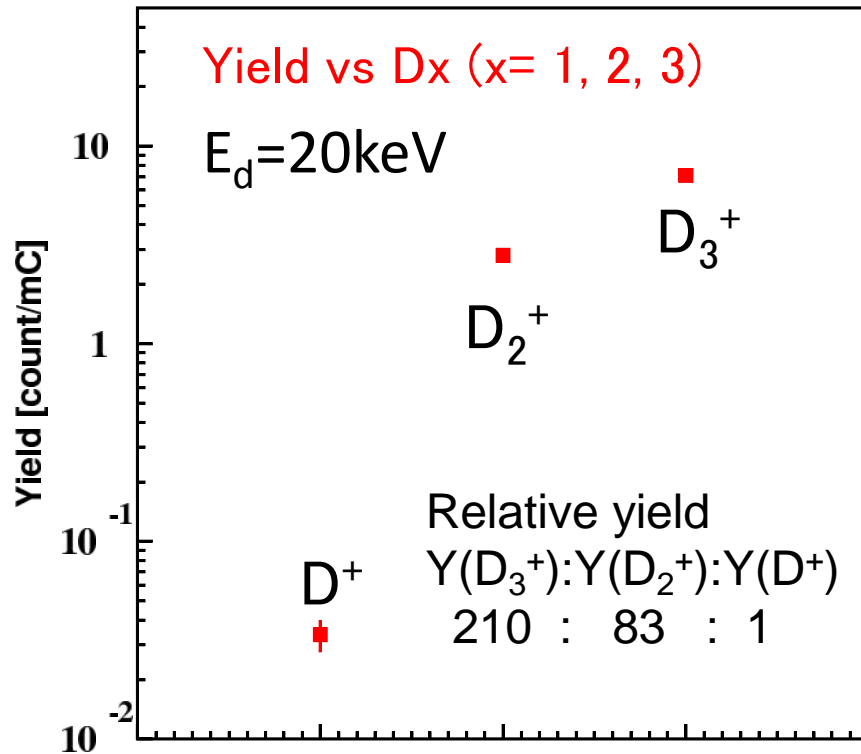
$$Y_{thick} \propto \frac{2A}{kB} \exp(-\frac{B}{\sqrt{E_d}})$$

For D(d,p)t reaction
B = 44.39: solid In
quite normal

liquid In; B = 13.4??
 $E_{eff} \sim 10E_d$?

Target Ds are not at rest;
they have finite momentum.

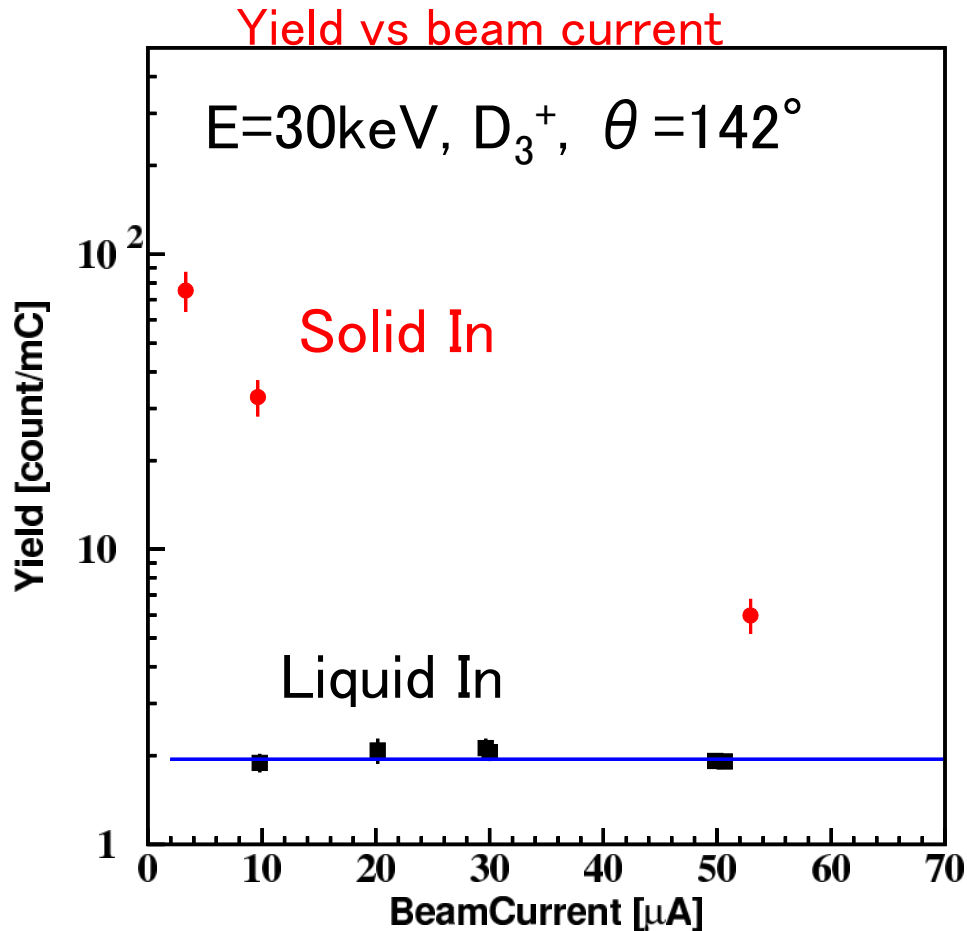
Yield vs number of deuterons number in molecule



The $d(d,p)t$ reaction occurs almost only with molecular (d_2^+/d_3^+) beam.
 Yield for d_3^+ beam is larger than for d_2^+ ; $Y(d_3^+)/Y(d_2^+) \sim 2.5$.
 Atomic beam gives scarce yield; almost no deuterons are accumulated in liq. In.

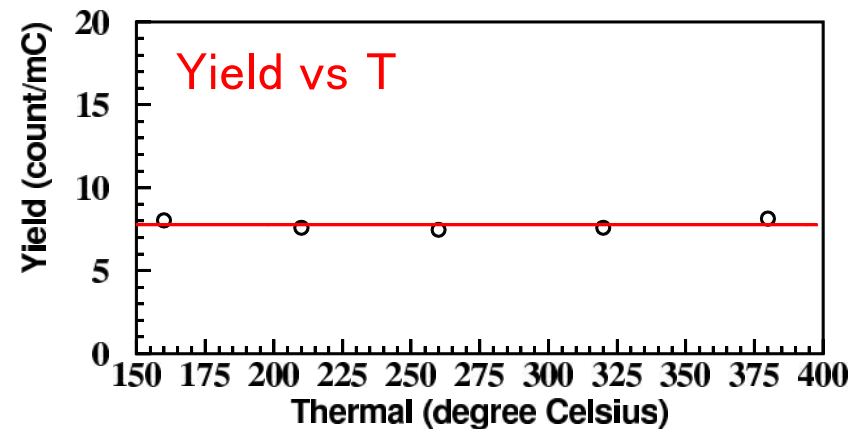
Both target d and beam d are from same molecule; they collide cooperatively.

Other features



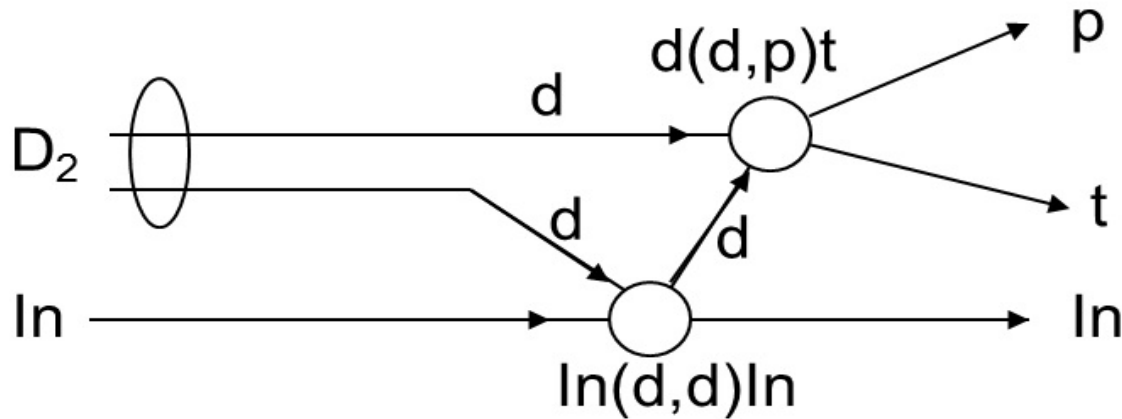
Solid In: large current dependence
change of density of target d

Liquid In: no current dependence
no temperature dependence
stable density of target d



very stable reaction; no N_b dependence, no T dependence
target d and beam d are from same molecule

Cooperative Colliding Process



Two-step reaction

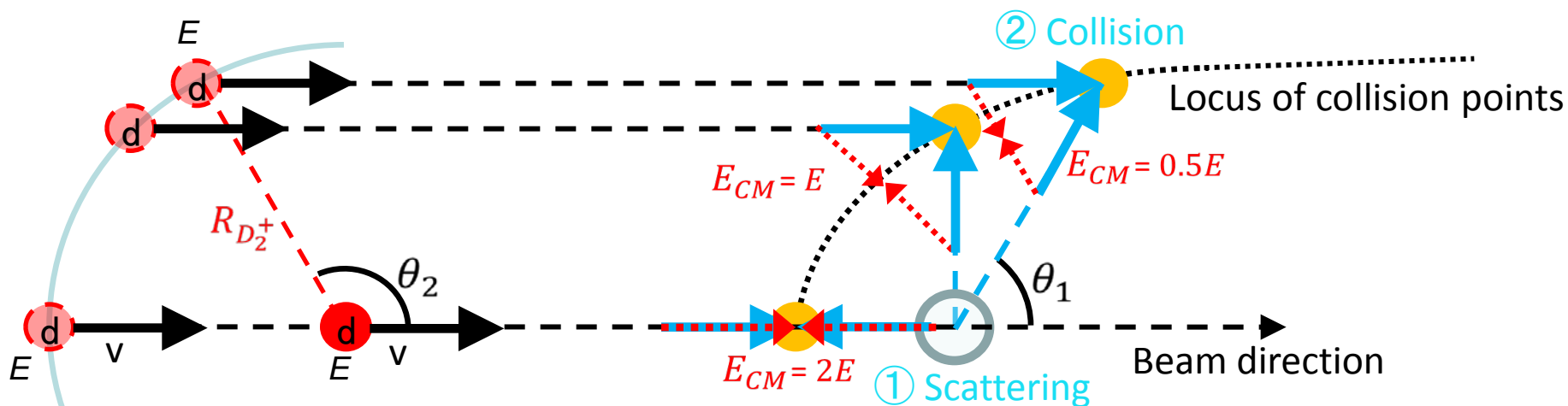
First step: $In(d,d)In$, d is elastically scattered by In

Second step: $d(d,p)t$ with another d in the same molecule

d-d colliding with a partner

d-d colliding in a sea of conduction electrons

Kinematics of cooperative colliding



Unique kinematics; relation between d_1 and d_2

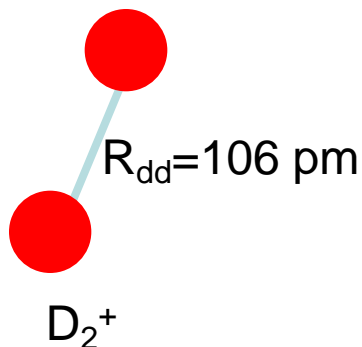
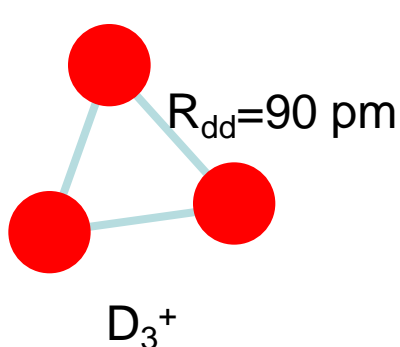
initial position of the partner depends only on the scattering angle θ_1

$\theta_2 = \theta_1/2 + 90^\circ$; collision point depends only on θ_1

d - d colliding energy depends only on θ_1

$$E_{cm} = E (1 - \cos \theta_1)$$

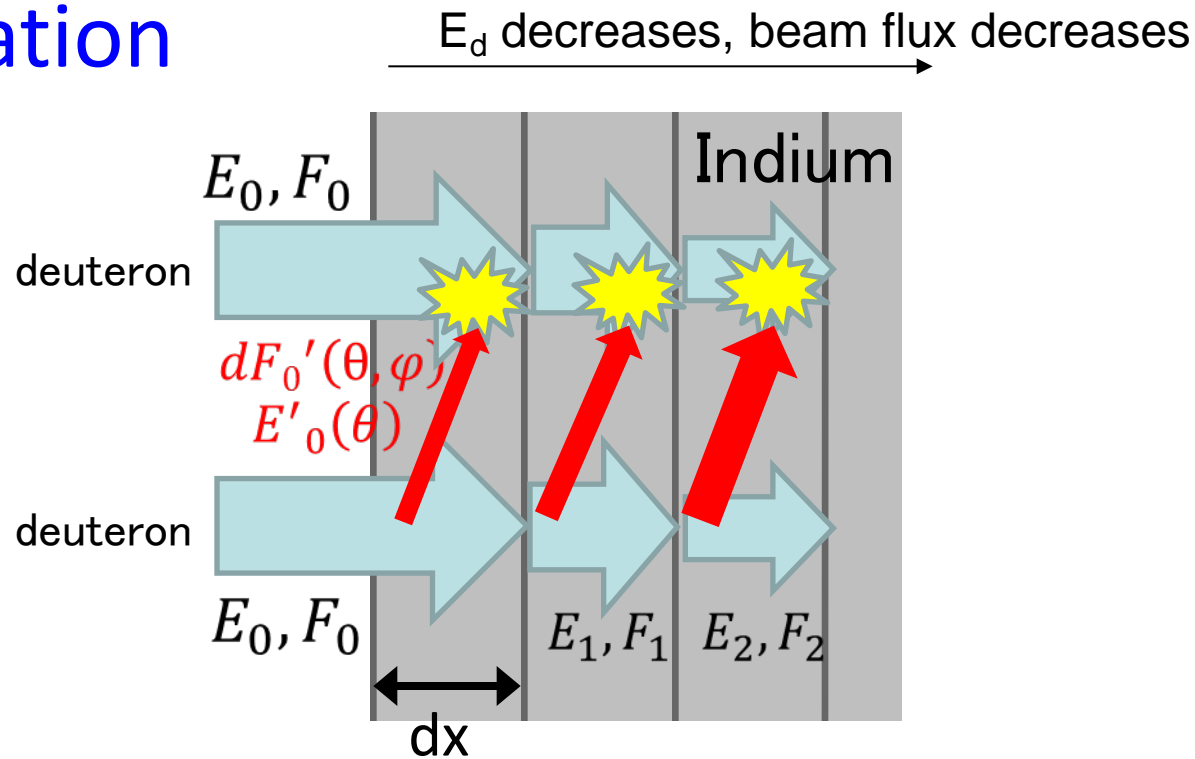
N_T of the colliding reaction is determined by the bond length.



$$N_T = \frac{x-1}{4\pi R_{dd}^2} \text{ (atoms / cm}^2\text{)}$$

$X=2, 3$ for D_2, D_3

Calculation



In each layer:

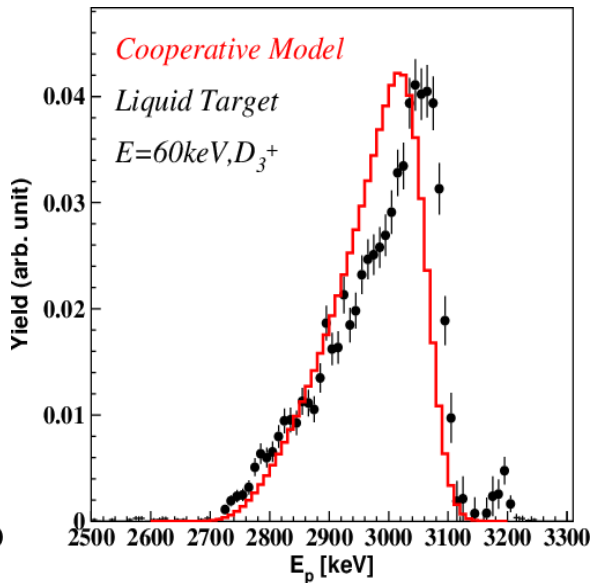
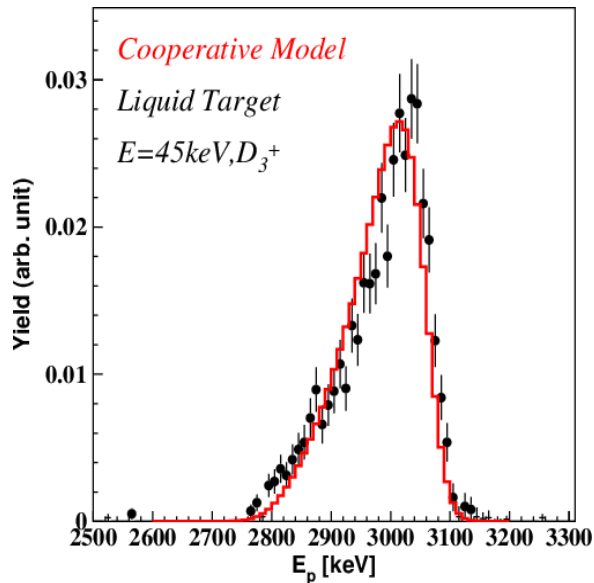
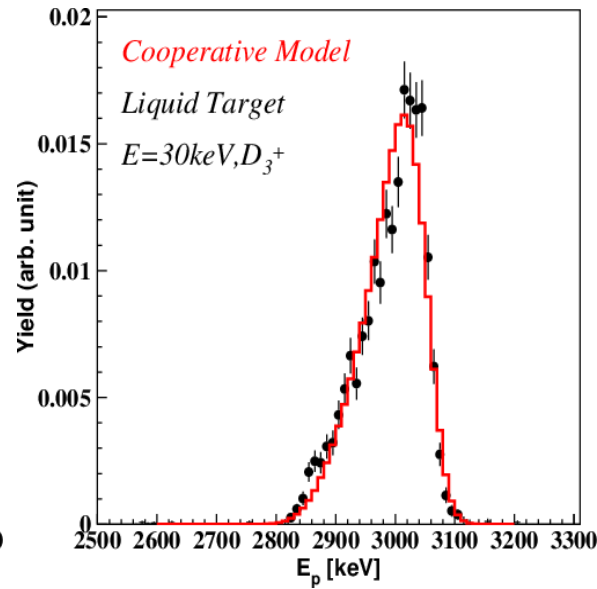
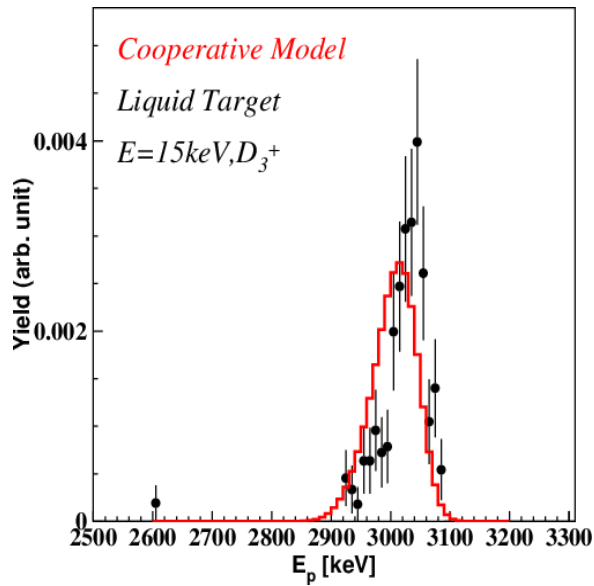
In(d,d)In scattering:

$$\underbrace{dF'_n(E_n, \theta)}_{\text{incident Flux}} = \underbrace{F_n}_{\text{incident Flux}} \cdot \underbrace{\rho_{In} dx}_{\text{density of In}} \cdot \left(\frac{d\sigma(E_n, \theta)}{d\Omega} \right)_{\text{Ruthe}} \Delta\Omega(\theta, \phi)$$

d(d,p)t reaction:

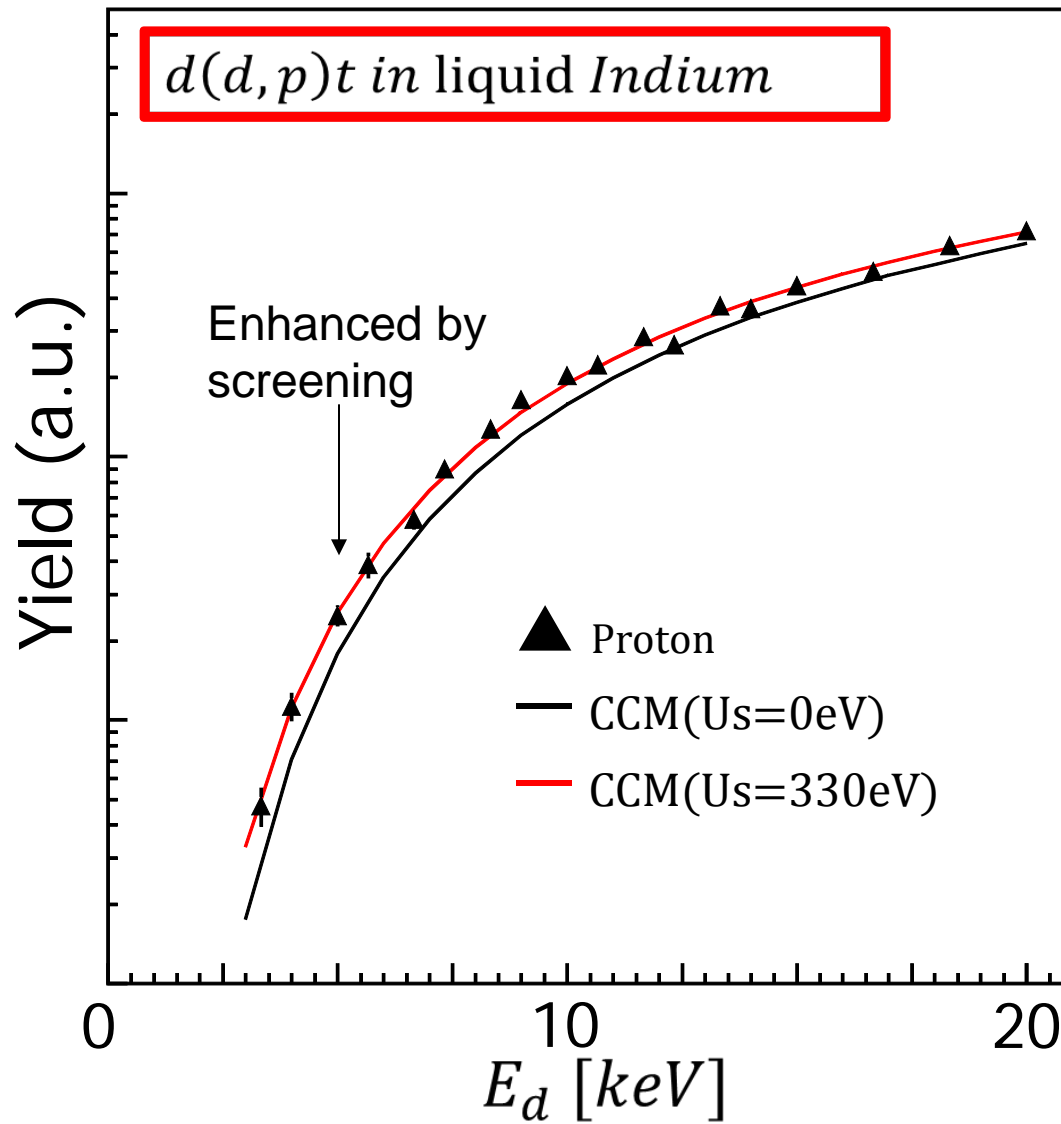
$$d^2Y_n(E_n, \theta, \Theta) = \underbrace{dF'_n}_{\text{D density}} \cdot \underbrace{F_n \rho_d}_{\text{D density}} \cdot \left(\frac{d\sigma(E_n, E'_n, \Theta)}{d\Omega} \right)_{d+d} \Delta\Omega'(\Theta, \Phi)$$

spectrum shape



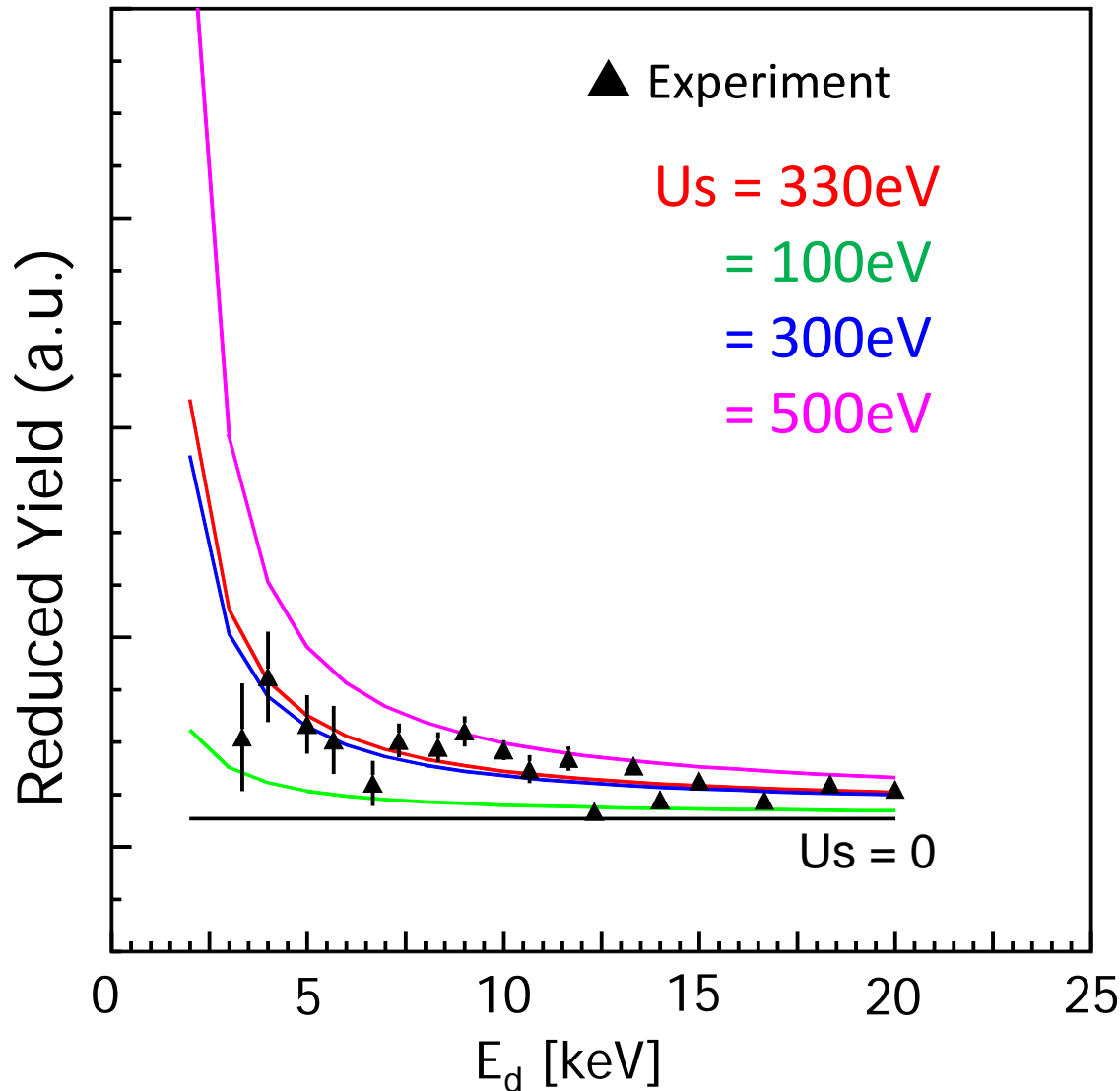
Calculations reproduce
observed spectra very well.

Yield vs Ed: comparison with calculations



$$Y_{cal} = 2\pi \rho_{In} N_T \int \left(\frac{d\sigma_R}{d\theta_1}(E) \right) \sigma_{dd}(E_{cm} + U_s) \sin \theta_1 d\theta_1$$

Enhancement



Present value

$$U_s = 330 \pm 50 \text{ eV}$$

c.f.

$$U_s = 520 \pm 50 \text{ eV}$$

(experiment by Raiola et al.)

calculations

$$U_s = 30 \text{ eV}$$

(Thomas-Fermi screening)

$$U_s = 40 \text{ eV}$$

(Kato and Takigawa)

$$U_s = 130 \text{ eV}$$

(Czerski et al.)

Present result is not so large
as reported so far..
But definitely larger than
theoretical predictions.

large screening for d+d due to electrons in metal
is not fully understood

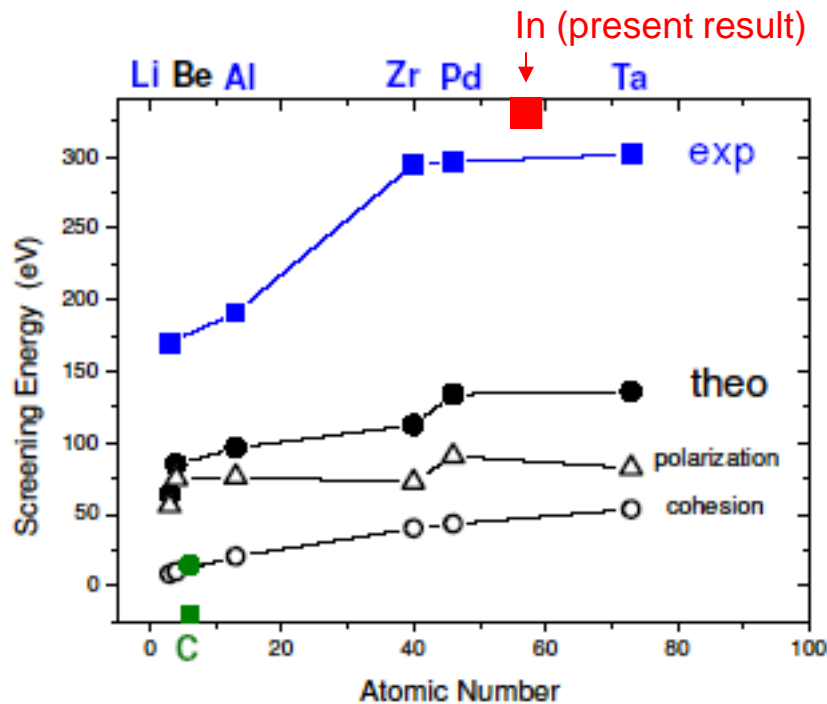


Fig. 2. Experimental and theoretical electron screening energies.

Czerski et al.:

polarization charge of quantum e gas
conduction e (Thomas-Fermi screening)
bound e of host metal atom
cohesive effects of d+d $\rightarrow (\alpha^*)$

$$V_{d-env} + V_{d-env} > V_{\alpha^*-env}$$

$U_{theo} < U_{exp}$; need another effect

Screening energy and Reaction rate at room temperature (simple extraction of $\sim\text{keV}$ to $< \text{eV}$)

D+D \rightarrow p+t reaction

Assume $\rho \sim 7 \times 10^{22}/\text{cc}$

$U_s(\text{eV})$	rate(/cc/sec)	$\sigma(\text{b})$
300	2×10^{-1}	10^{-27}
600	2×10^{10}	10^{-16}
1000	2×10^{14}	10^{-12}

Li+D $\rightarrow\alpha+\alpha$ reaction

Assume $\rho \sim 5 \times 10^{22}/\text{cc}$

$U_s(\text{eV})$	rate(/cc/sec)	$\sigma(\text{b})$
1000	10^{-3}	10^{-29}
1500	10^3	10^{-23}
2000	10^6	10^{-20}

D+D in metal

$U_s = 300 \sim 350 \text{ eV}$

Low level (p,t,n, ^3He) emission
may be observed.

However, heat production

300 eV \rightarrow 1pW/cc, 600 eV \rightarrow 0.1W/cc

One needs $U_s > 800 \text{ eV}$; 1000 eV \rightarrow kW/cc

Li + D in liquid Li

$U_s \sim 500 \text{ eV}$ for normal density

Remarks and Future works

U_s measurement by cooperative colliding is superior to the previous ones.

accurate N_T (target deuteron density), clean surface

It is clearly shown that the new U_s value is, again, much larger than the present model calculations.

Why? Deep understanding is very important,

not only for low-energy fusion in metal but also for reactions in stars.

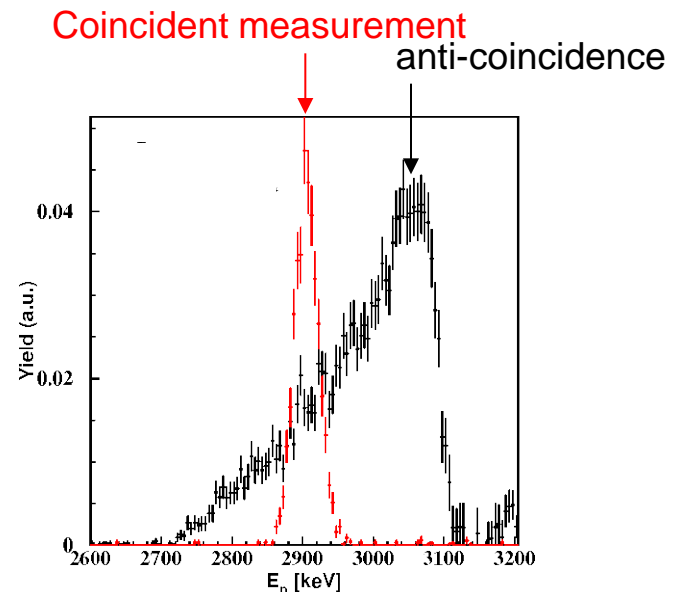
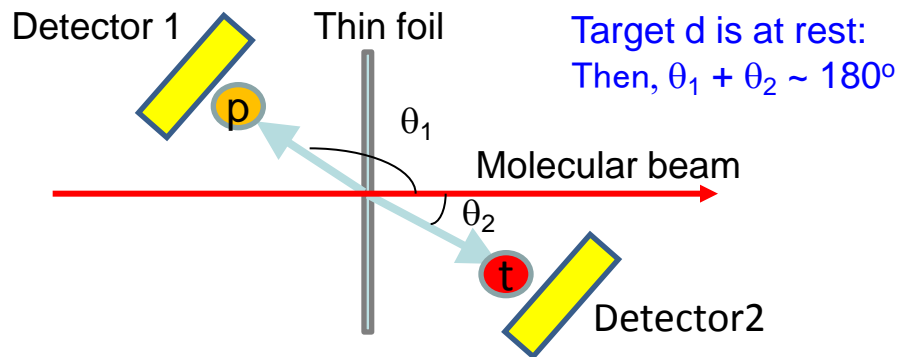
We will proceed the measurement for other liquid metals.

for ex., Ga ($n_e=15.3 \times 10^{22}$), Hg ($n_e=8.2 \times 10^{22}$), Bi ($n_e=6.0 \times 10^{22}$); In ($n_e=11.5 \times 10^{22}$)

The measurement can be applied to solid metal target, also.

Use thin foil.

Kinematical selection with two detectors.



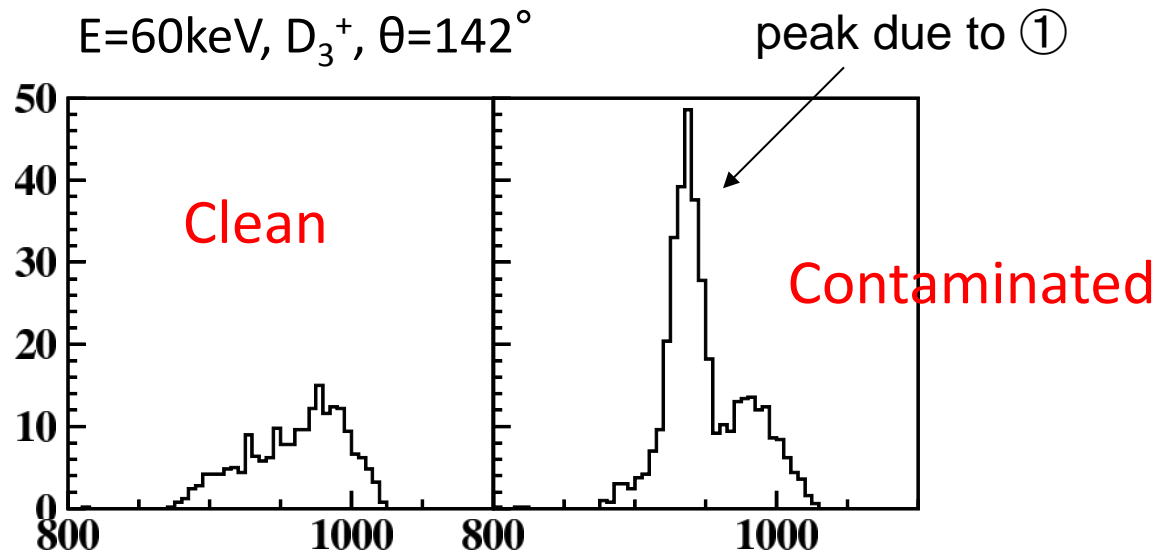
Possible events from the $d(d,p)t$ reaction other than in liquid In

- ① reaction with D accumulated in surface contaminants
metal surface should be kept completely clean



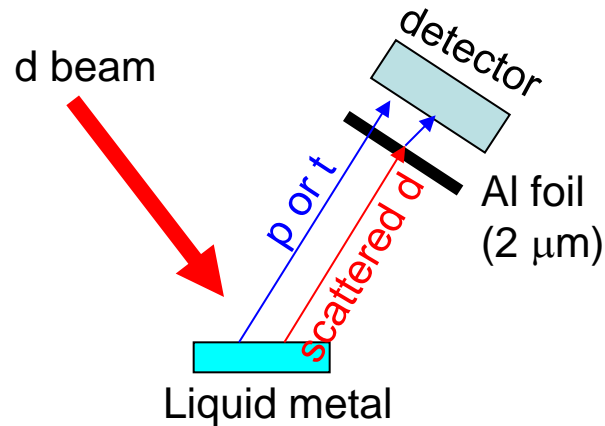
Cleaning up

Skim off contaminants
by a scraper



② reaction with D accumulated in Al foil

unavoidable; should be identified and subtracted



Change distance between Al and det.
Calculate spectrum shape

$E = 60\text{keV}, D_3^+$

